

# Kísérletek és magyarázatok

## Biztosan úgy van?

Baranyai Klára

Bata Márton, Szabó Kristóf, Szabó Roland, Popescu Barnabás 11.b,  
Gyüre-Garami Blanka, Hajna Ádám, Sipos Ferenc, Pirity Márton 11.c,  
Farkas Ábel, Mike Gergő 12.c

Berzsenyi Dániel Gimnázium, Budapest



ELTE Atomcsill 2026. február 12.

# Rézlemez a vízen



## A. Luzin: An unsinkable disk

Quantum 1999. szeptember/október  
V.10. N.1., 42. oldal

Minden cikk elérhető:

<https://www.nsta.org/quantum-magazine-math-and-science>

# Rézlemez:

Kör alakú, közepén 1 cm sugarú, kis mélyedés

Tömege 14 gramm

Sugara 5 cm

Vastagsága 0,2 mm

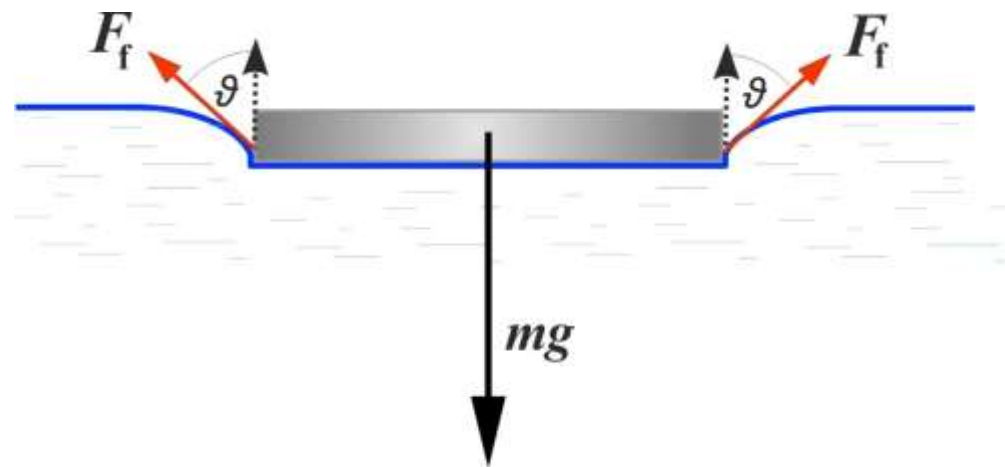
Sűrűsége  $8,94 \text{ g/cm}^3$



# Rézlemez a vízen



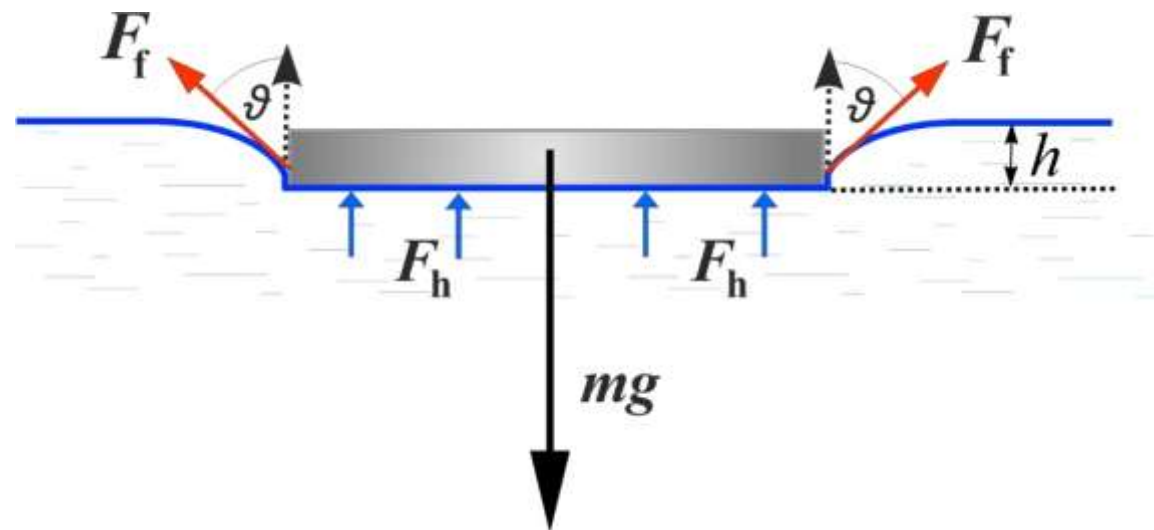
**A felületi feszültség !**



$$mg = 0,014\text{kg} \cdot 9,81 \frac{\text{m}}{\text{s}^2} = \mathbf{0,137\text{N}}$$

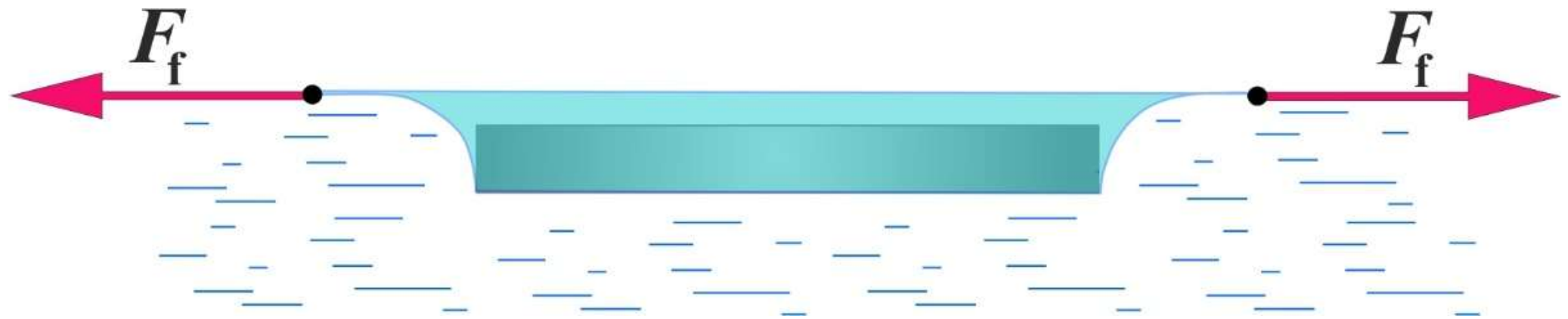
???

$$F_{max} = \alpha \cdot 2r\pi = 0,073 \frac{\text{N}}{\text{m}} \cdot 0,314\text{m} \approx \mathbf{0,023\text{N}}$$

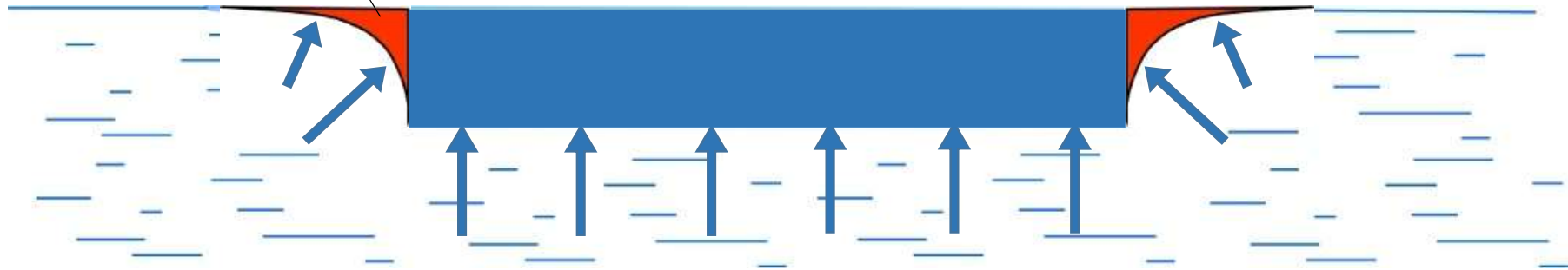


**333+ furfangos feladat fizikából**  
Gnädig Péter – Honyek Gyula – Vigh Máté

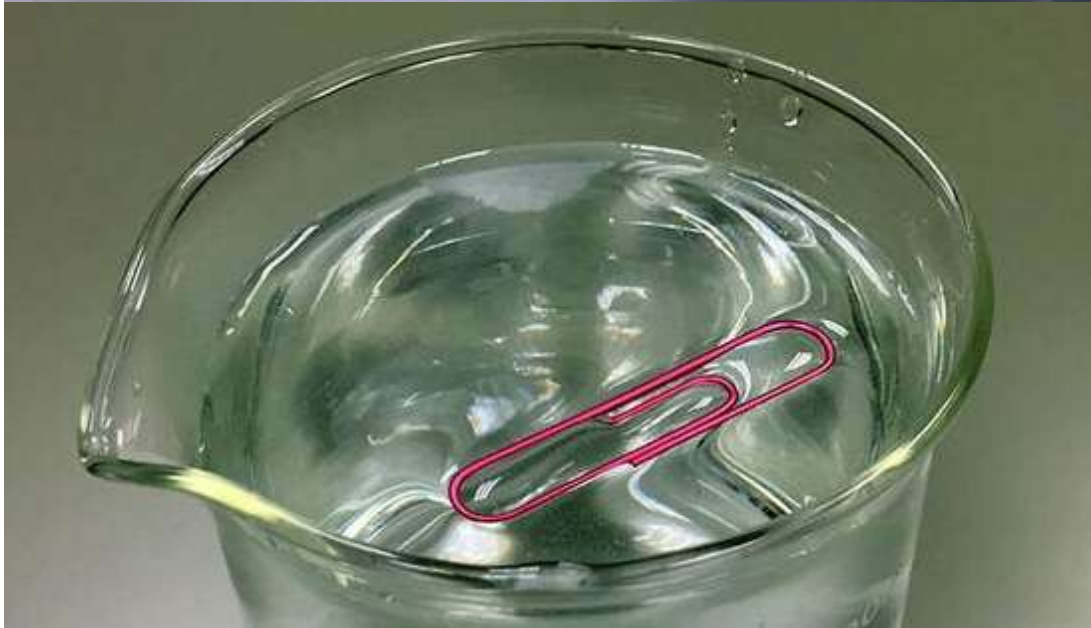
# 175. feladat



**Kerülettel arányos  
felületi feszültségből  
származó erő**



A vízszintes vetület  
**területével** arányos  
hidrosztatikai nyomóerő



Ha víz kerül fölé, elsüllyed

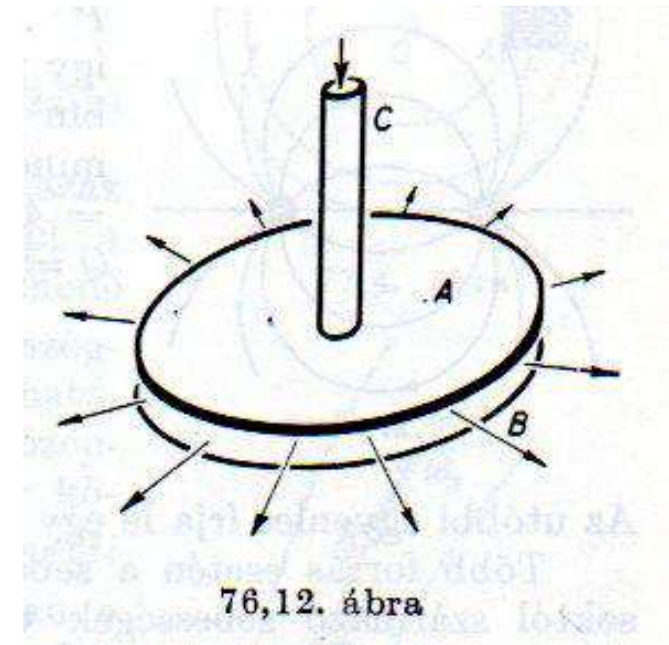
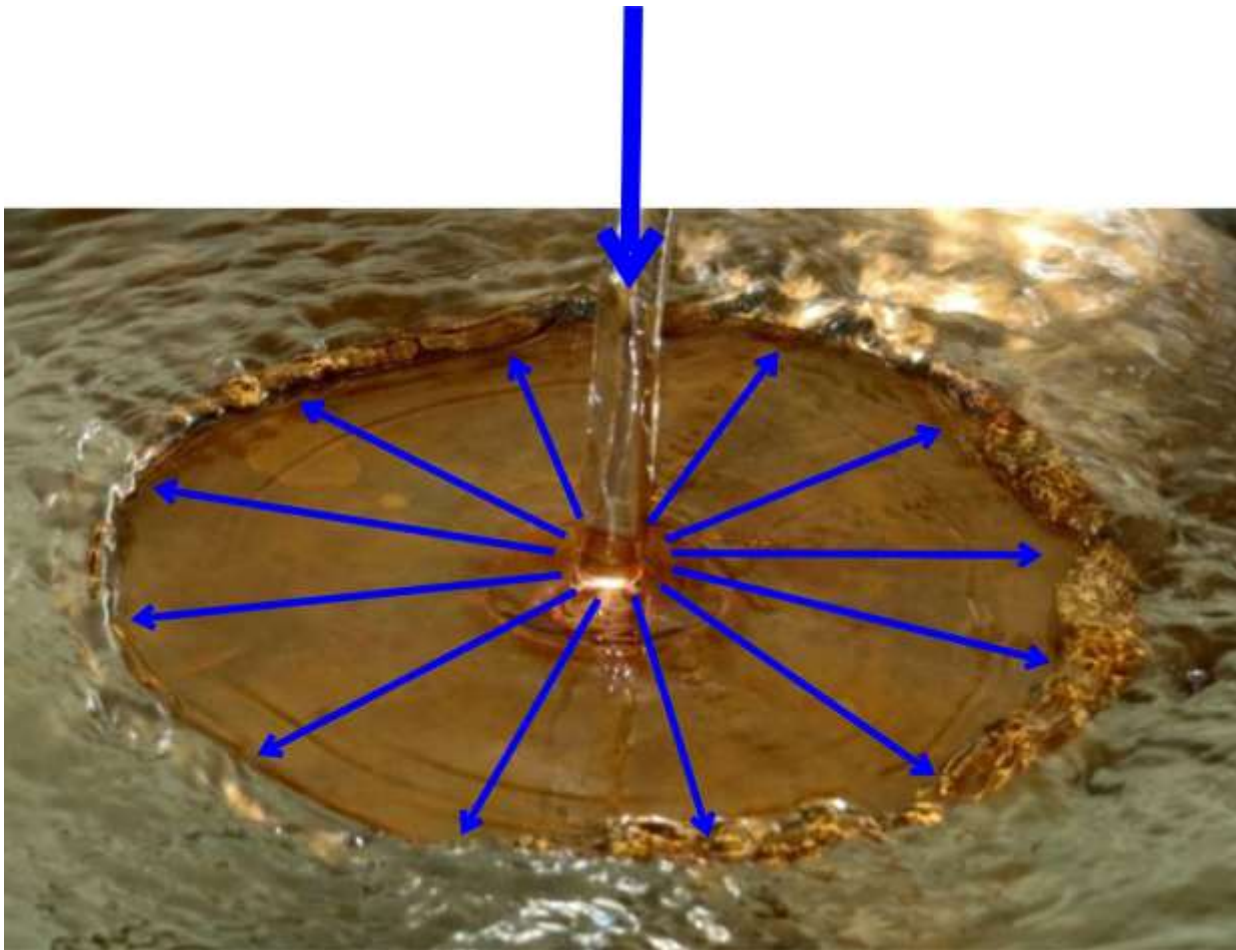




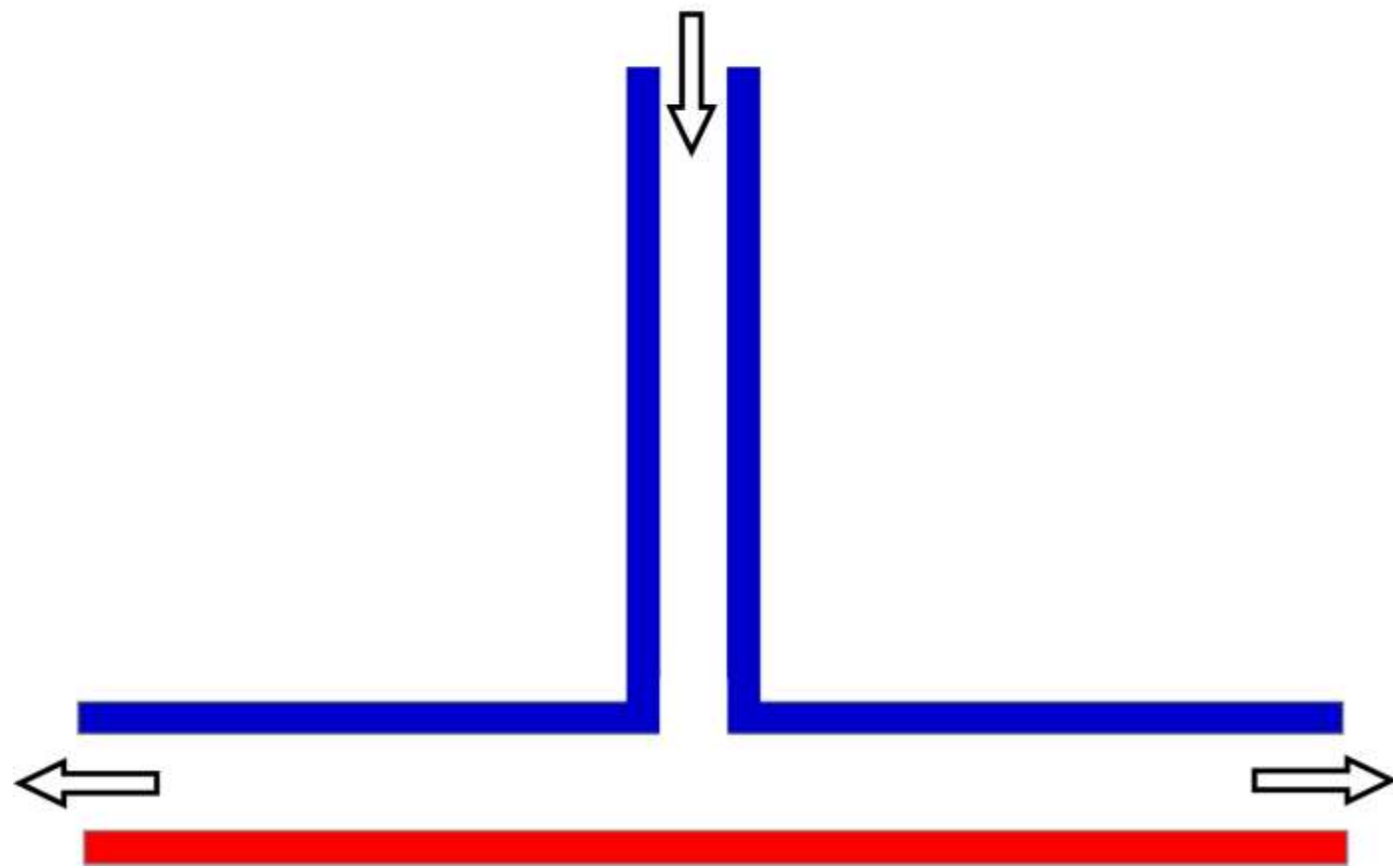


**Mégsem süllyed el!!**

# Aerodinamikai paradoxon?



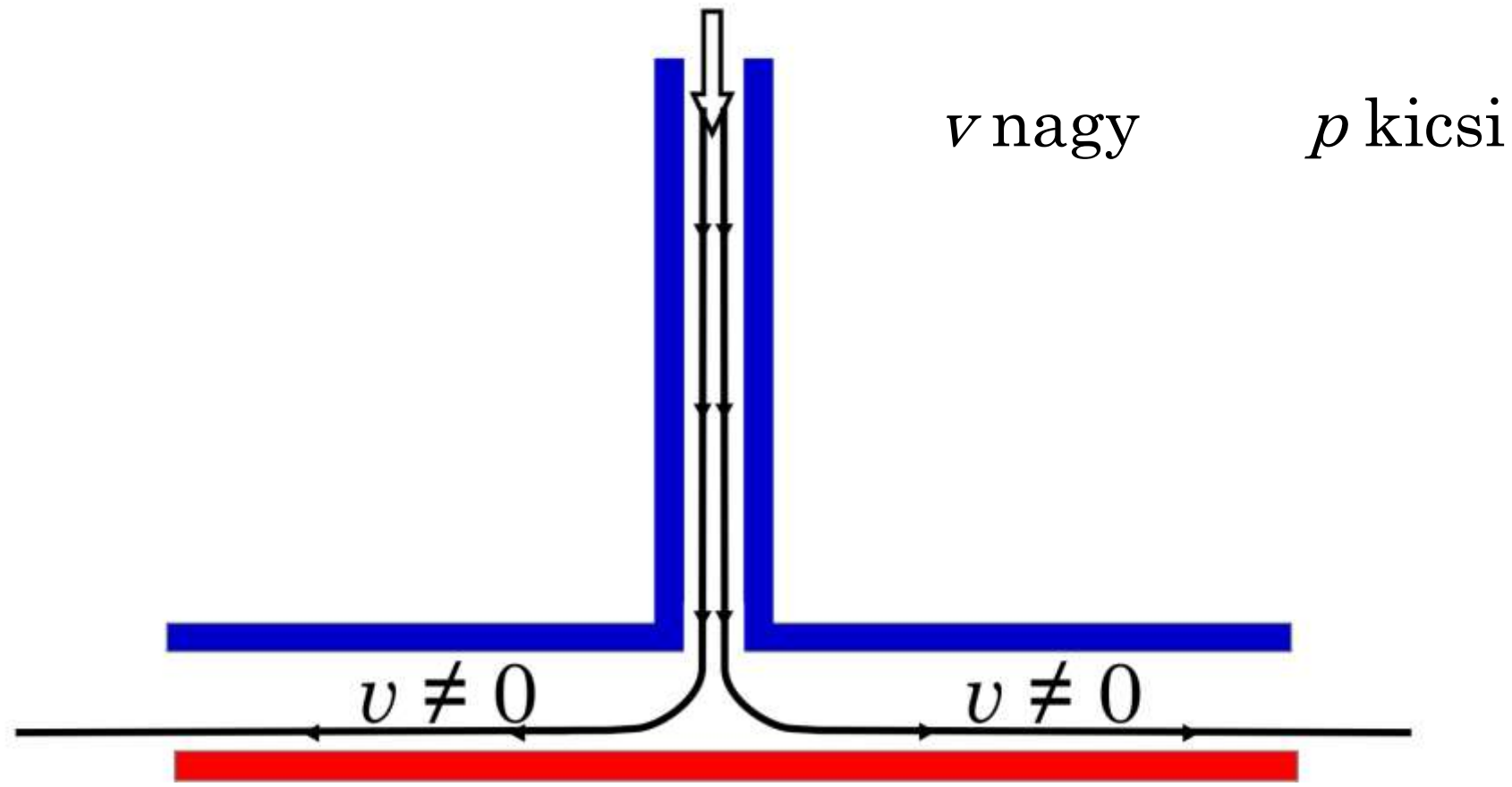
76,12. ábra

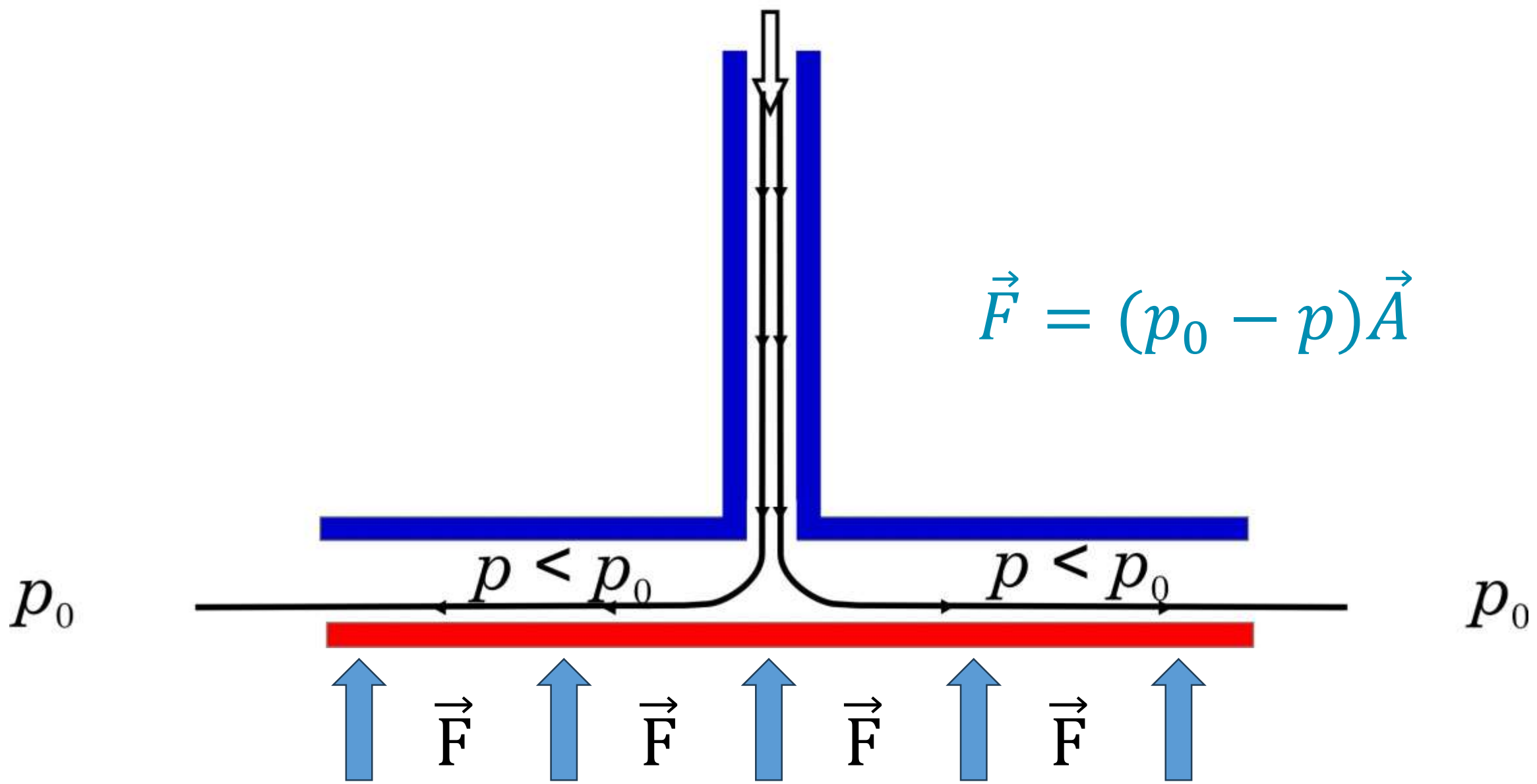




Bernoulli-törvény:

$$\frac{1}{2}\rho v_0^2 + p_0 = \frac{1}{2}\rho v_1^2 + p_1$$





$$\vec{F} = (p_0 - p)\vec{A}$$

$p_0$

$p < p_0$

$p < p_0$

$p_0$

$\vec{F}$

$\vec{F}$

$\vec{F}$

$\vec{F}$

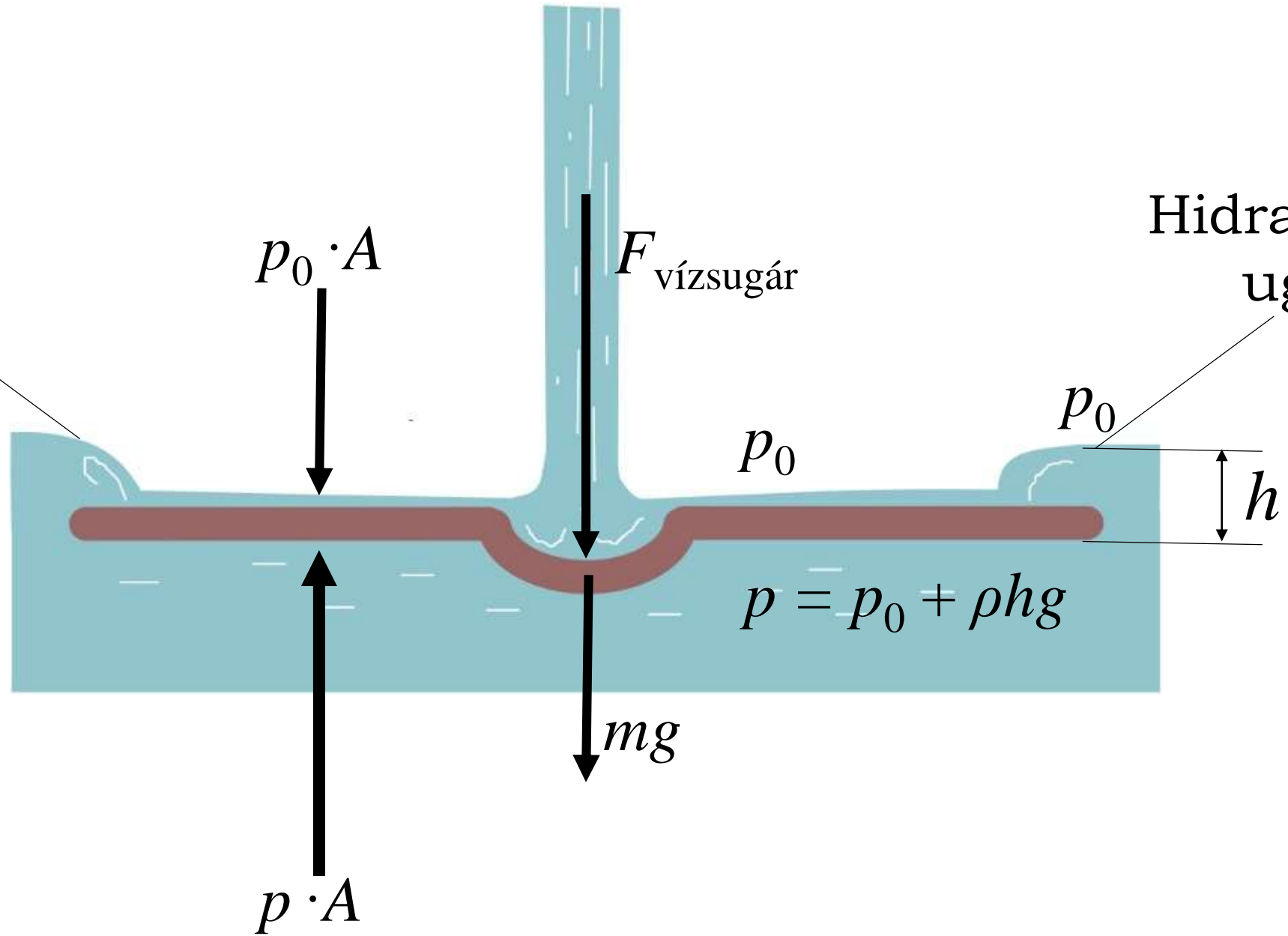






Hidraulikus  
ugrás

Hidraulikus  
ugrás



Hidraulikus  
ugrás



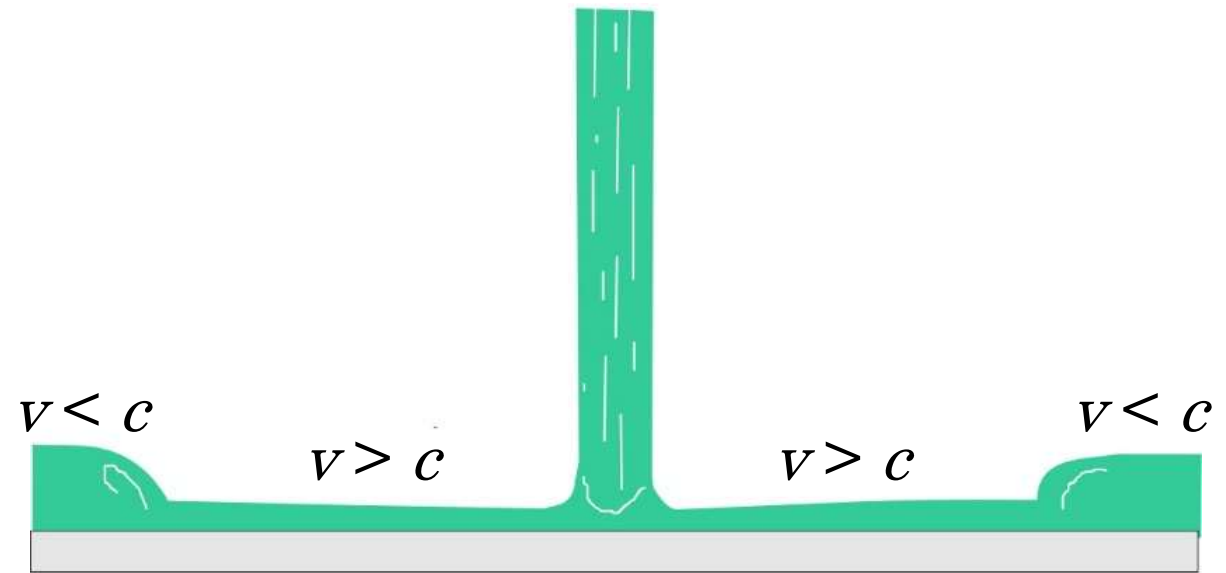
A felszíni hullámok terjedési sebessége:  $c$

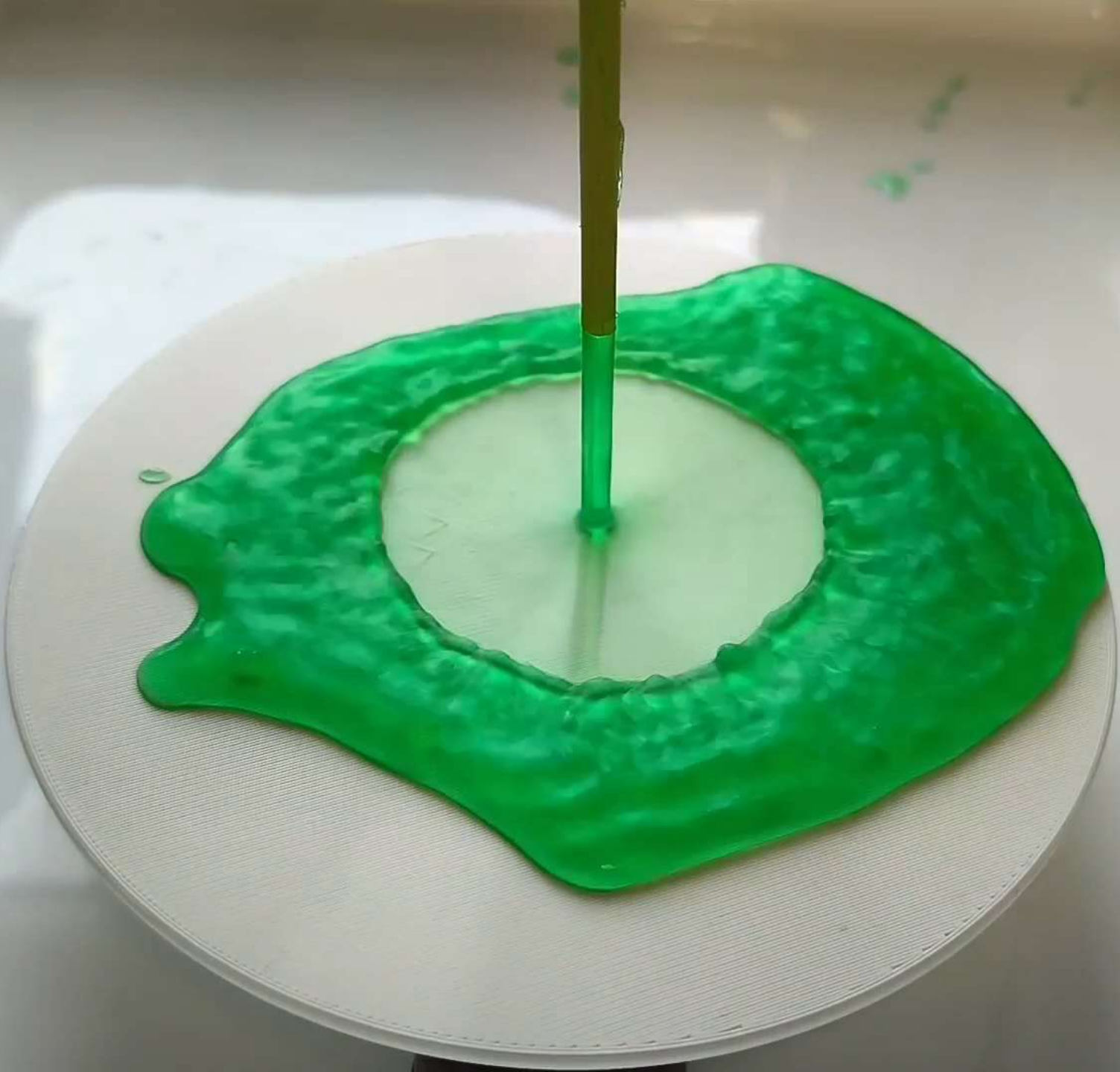
Az áramlás sebessége  $v$

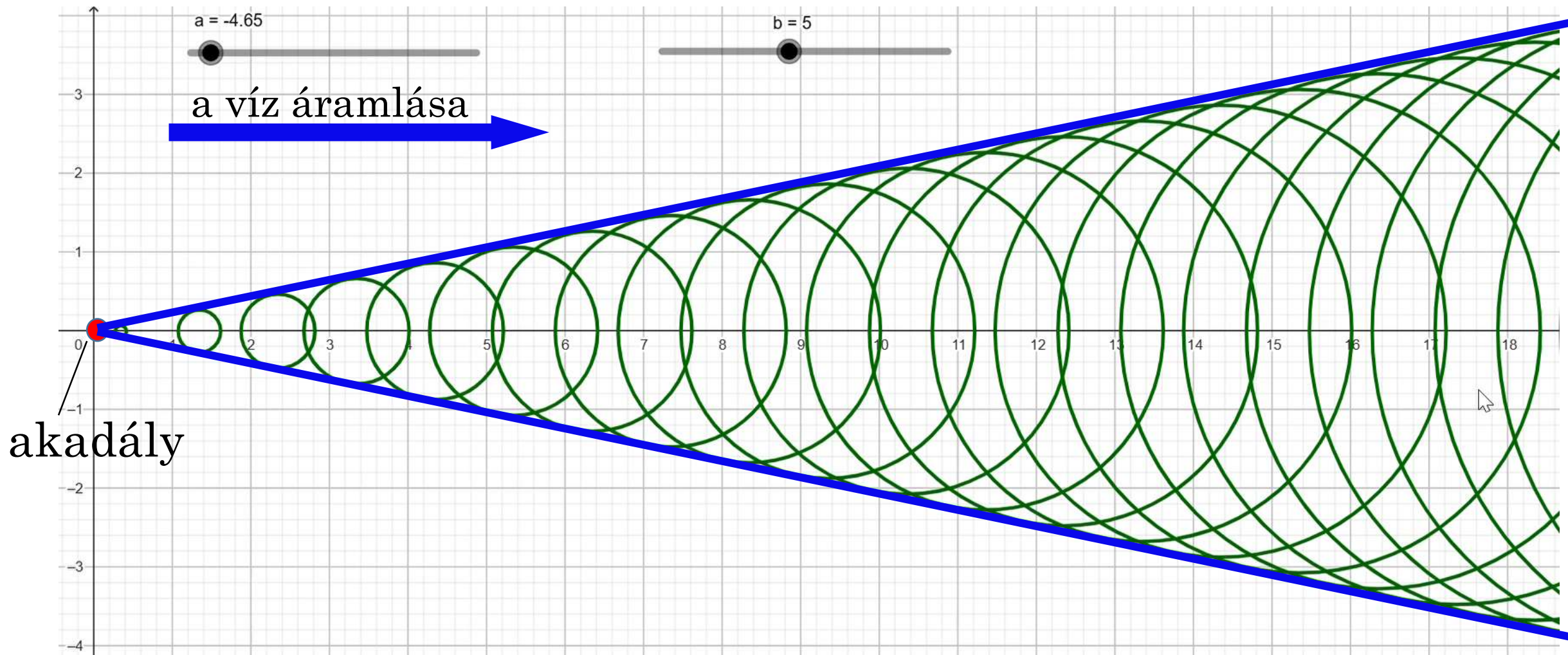
$v < c \rightarrow$  szubkritikus

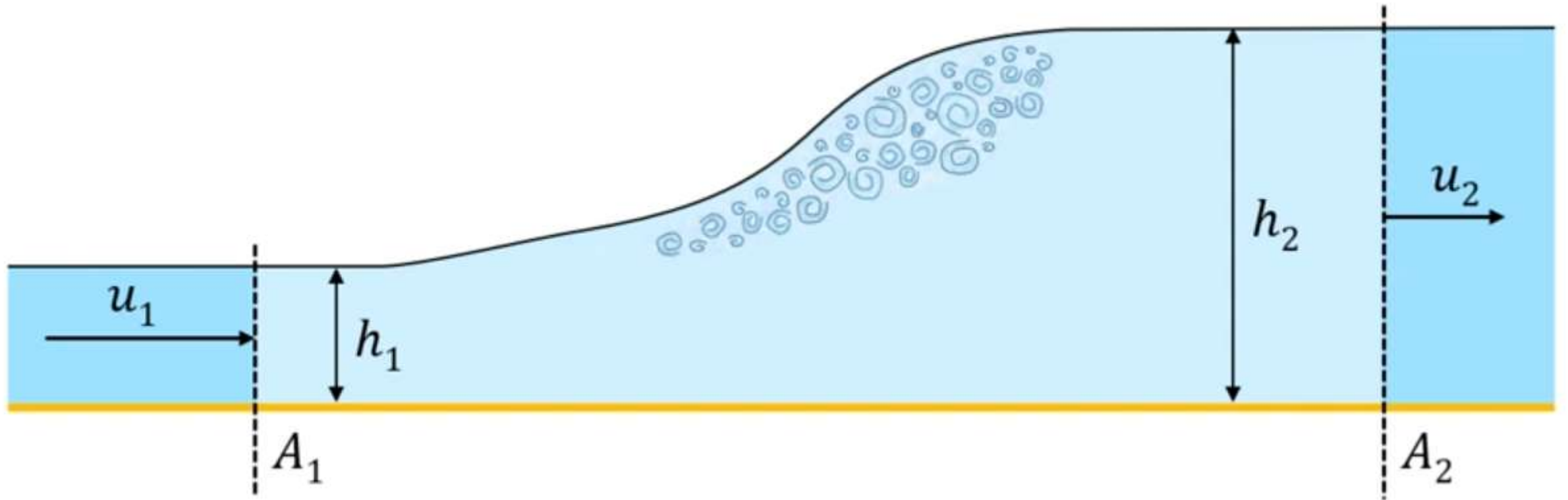
$v > c \rightarrow$  szuperkritikus

$v = c \rightarrow$  kritikus







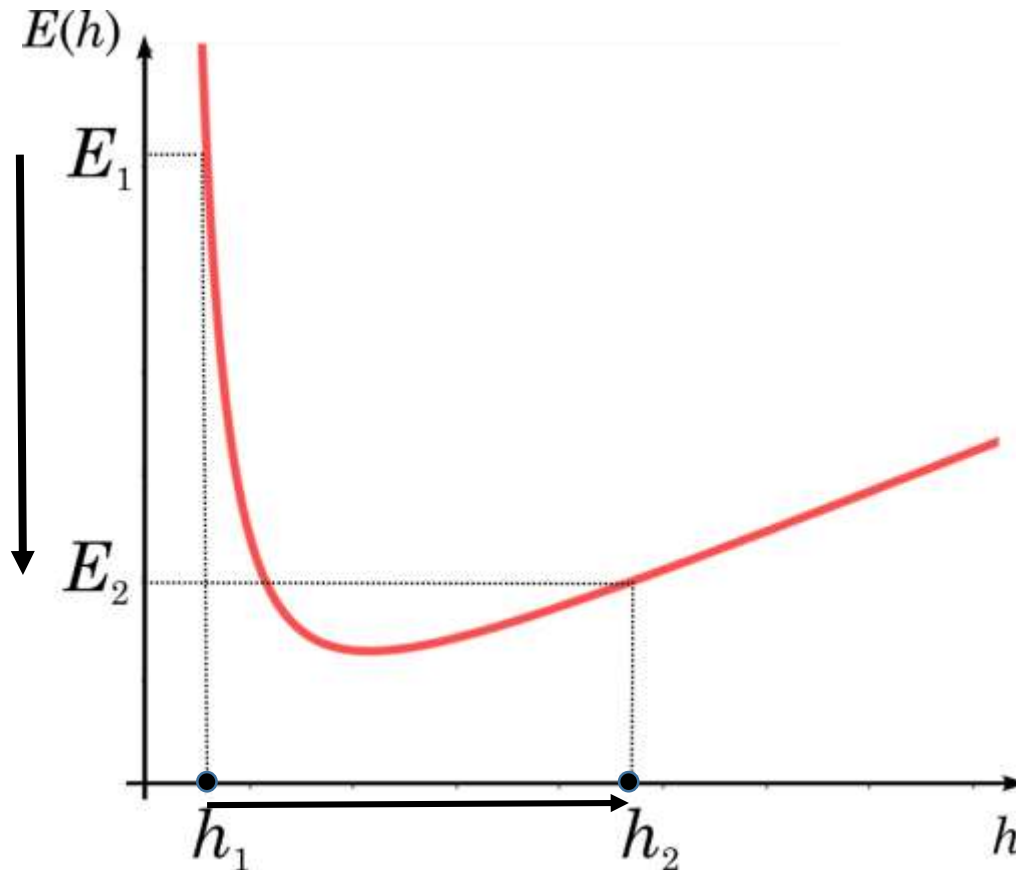


Kontinuitási törvénnyel és az  
Impulzusmegmaradással  $h_2$  kiszámolható:

$$h_2 = \frac{h_1}{2} \left( \sqrt{1 + 8 \frac{u_1^2}{gh_1}} - 1 \right)$$

A térfogategységre jutó energia:

$$E(h) = E_{helyzeti} + E_{mozgási} = \rho g h + \frac{\rho q^2}{2b^2} \frac{1}{h^2}$$





<https://fyfluidynamics.com/wp-content/uploads/2019/10/Hydraulic-Jump-1.gif>





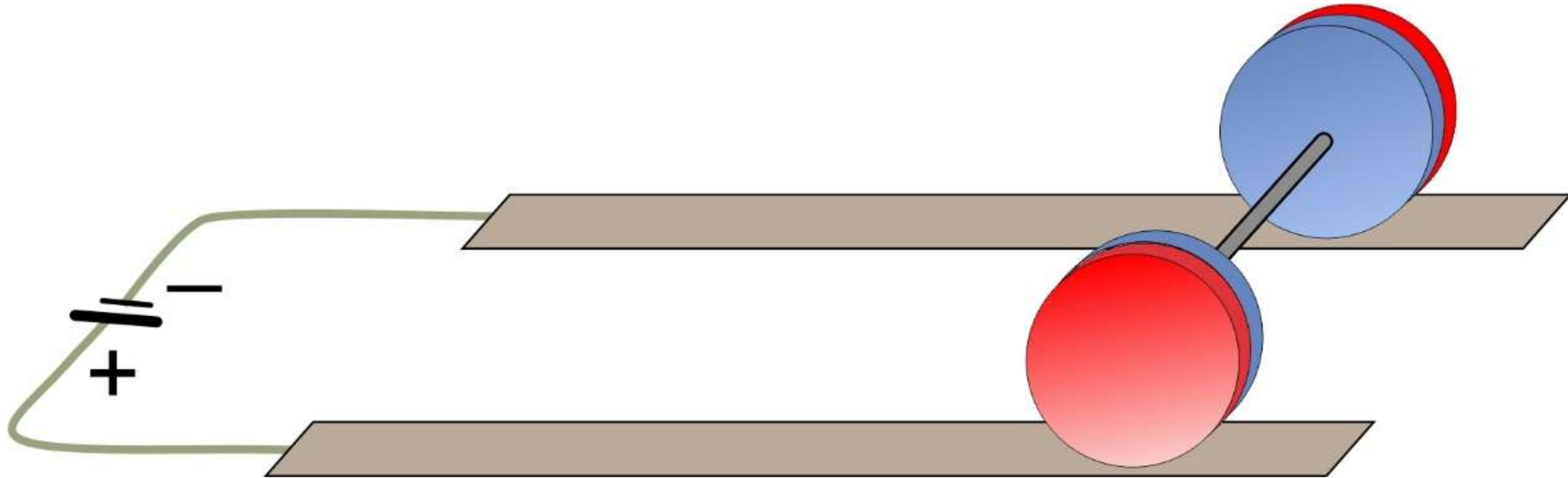
[https://commons.wikimedia.org/wiki/File:Saint\\_Anthony\\_Falls-20060617.jpg](https://commons.wikimedia.org/wiki/File:Saint_Anthony_Falls-20060617.jpg)



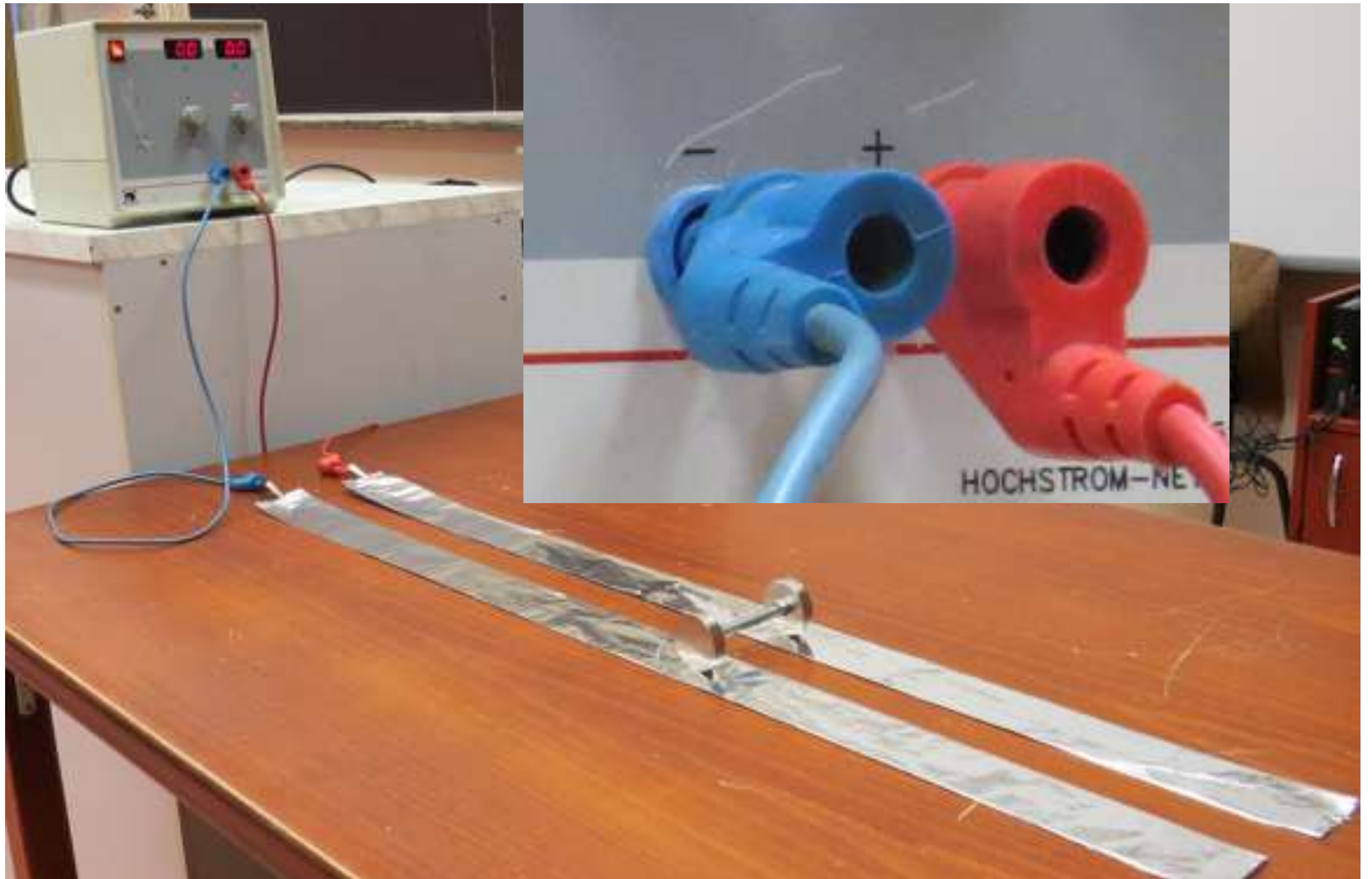
Tamalpais State Park, San Francisco mellett

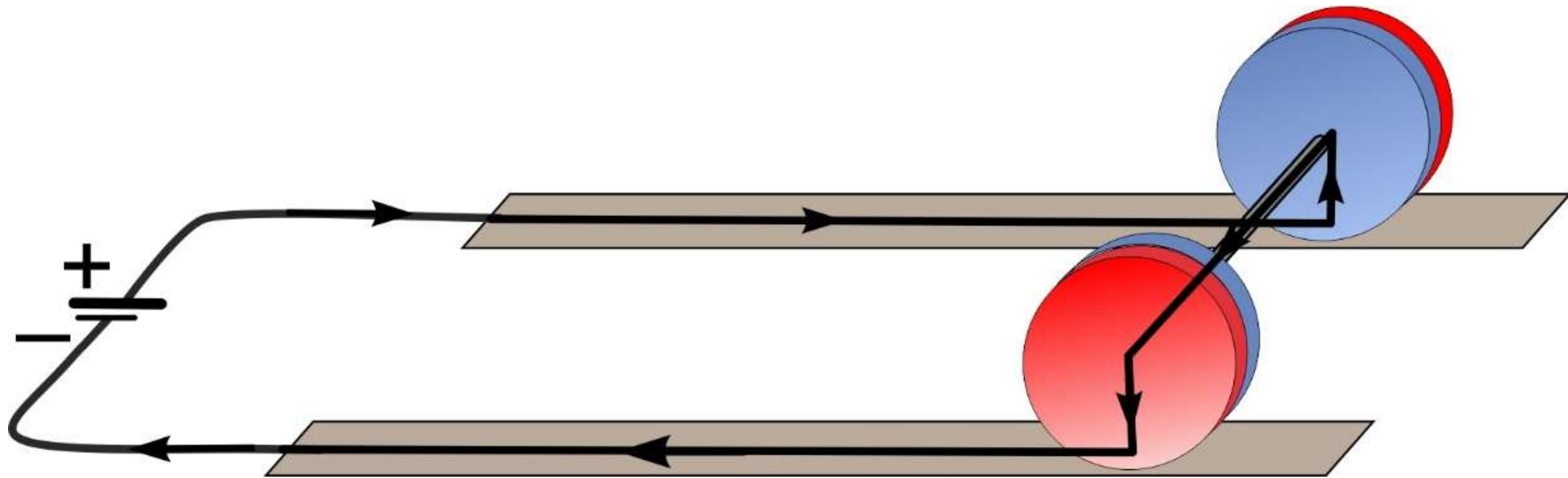
<https://fyfluidynamics.com/2017/12/when-viewed-at-the-right-pace-clouds-can-flow/>

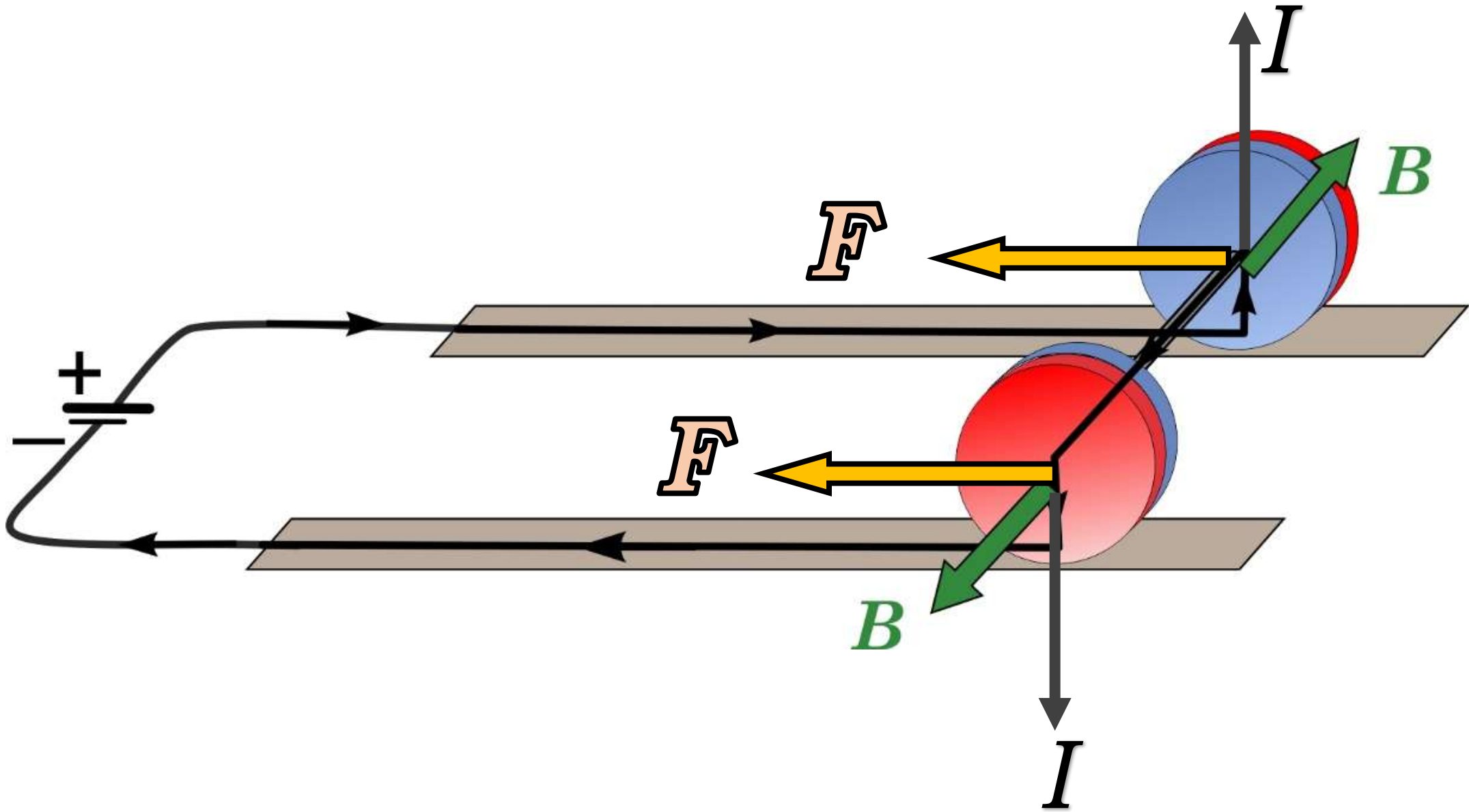
# Guruló mágnesek

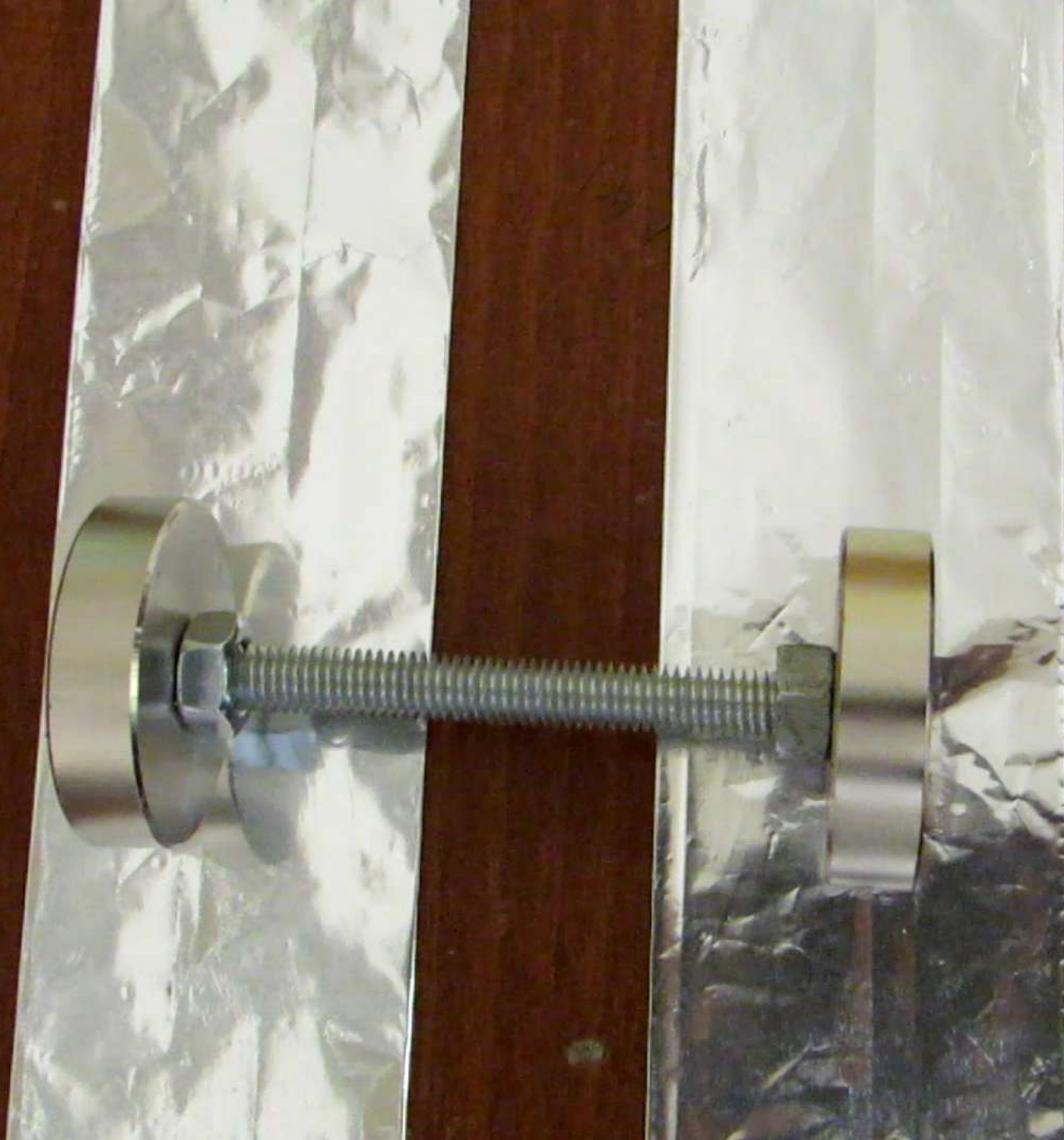


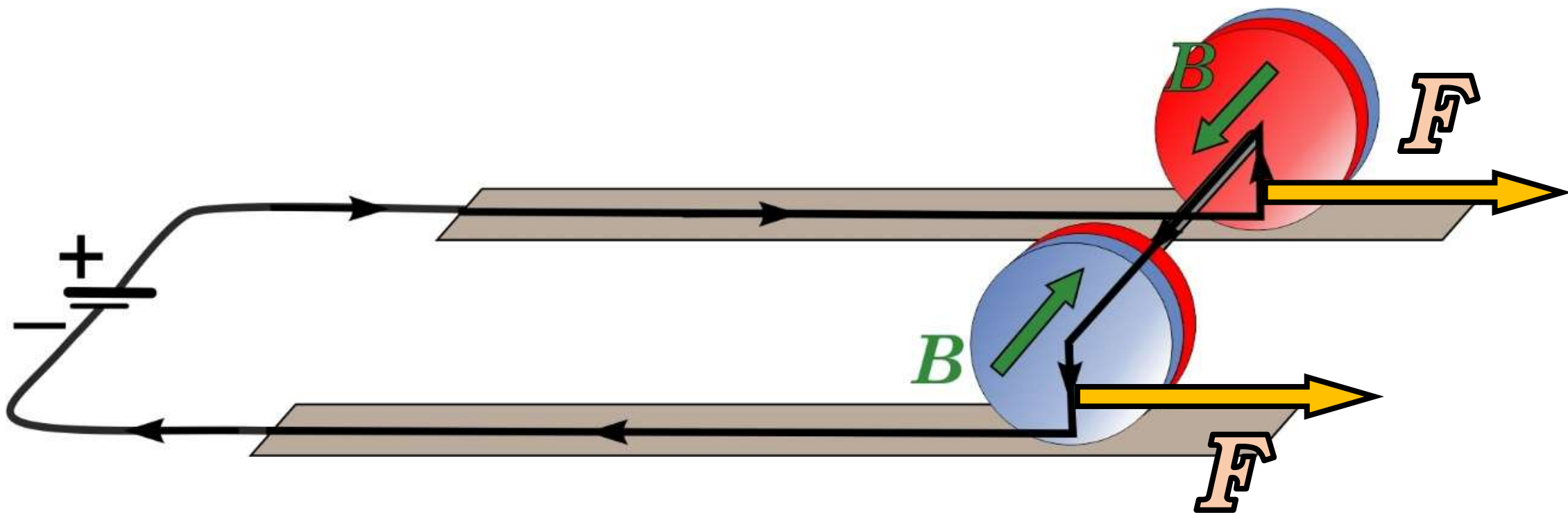






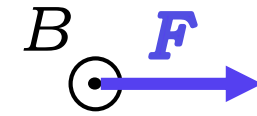
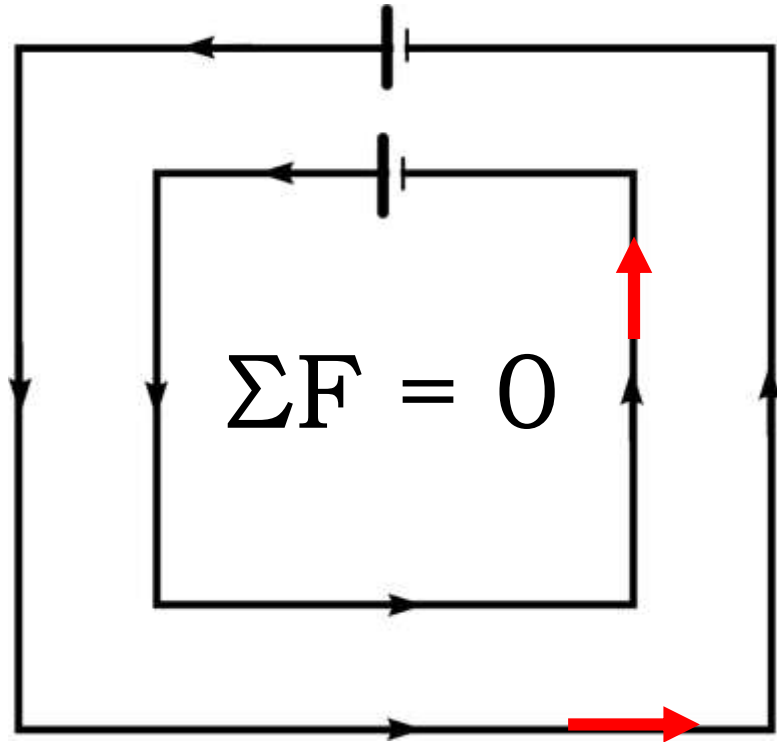






# Biot-Savart-törvény

$$\Delta B = \frac{\mu_0}{4\pi} \frac{I \Delta l}{r^2} \sin \alpha$$



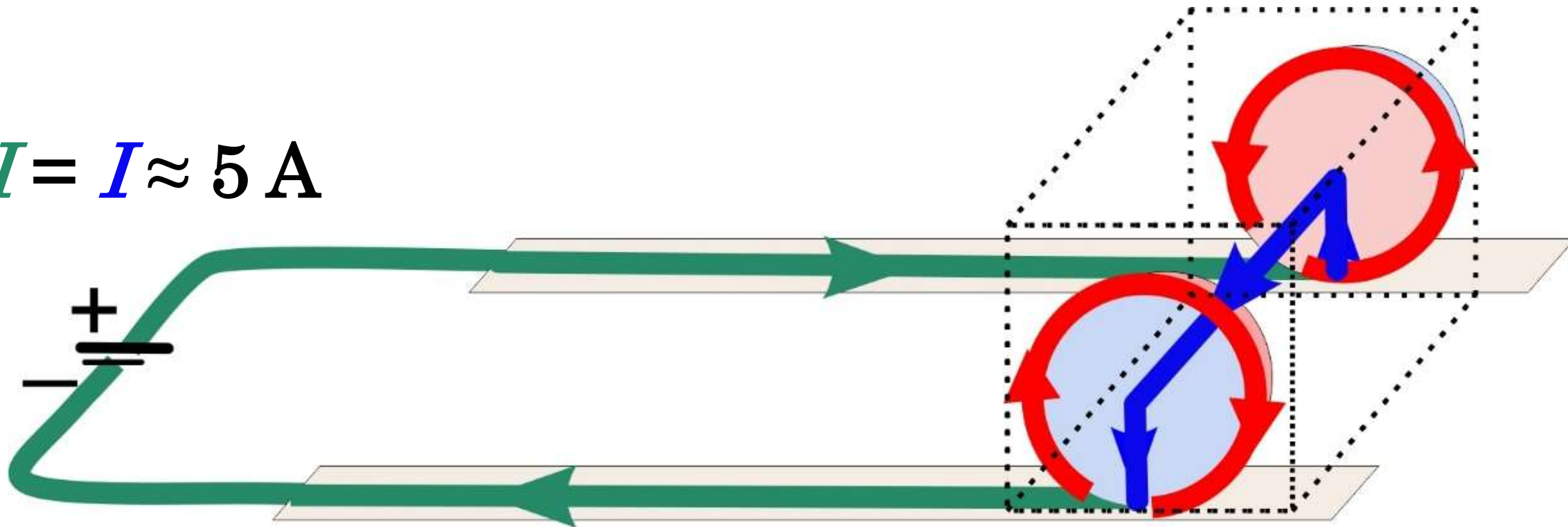
**Erő-ellenerő??**

**Impulzusmegmaradás?**

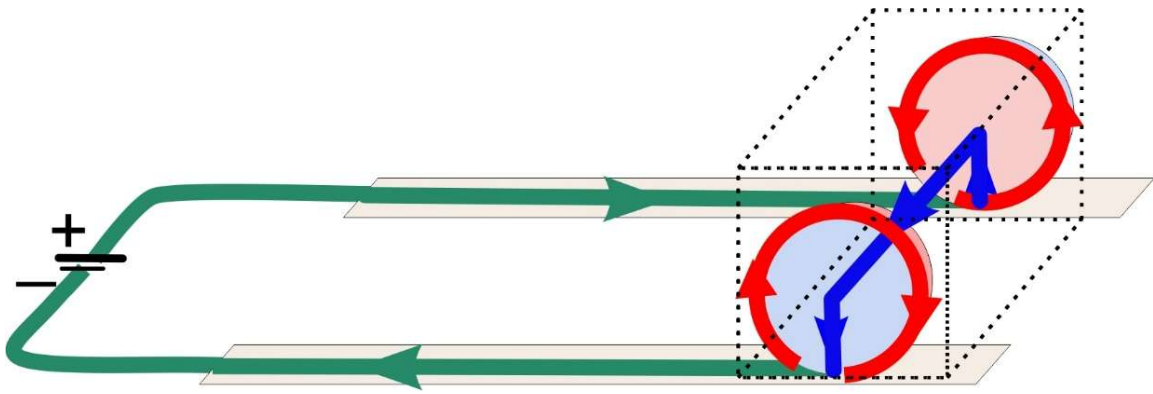
$$F = 0$$

$$B = 0$$

$$I = I \approx 5 \text{ A}$$



$$I \approx 1000 \text{ A}$$



Erő-ellenerő a két áramkörre:

$$F_{KZ \rightarrow P} + F_{P \rightarrow KZ} = 0$$

$$F_{K \rightarrow P} + F_{Z \rightarrow P} + F_{P \rightarrow K} + F_{P \rightarrow Z} = 0$$

$$F_{K \rightarrow P} + F_{Z \rightarrow P} + F_{P \rightarrow K} = -F_{P \rightarrow Z}$$

A mozgó részre ható erő:

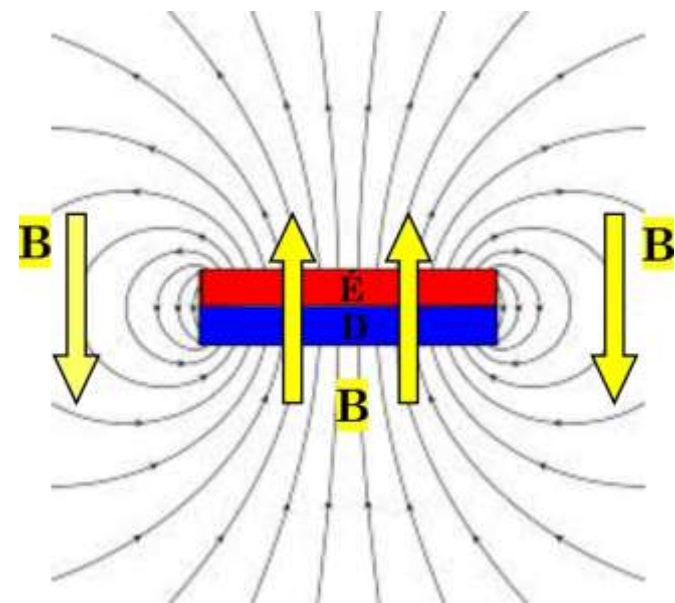
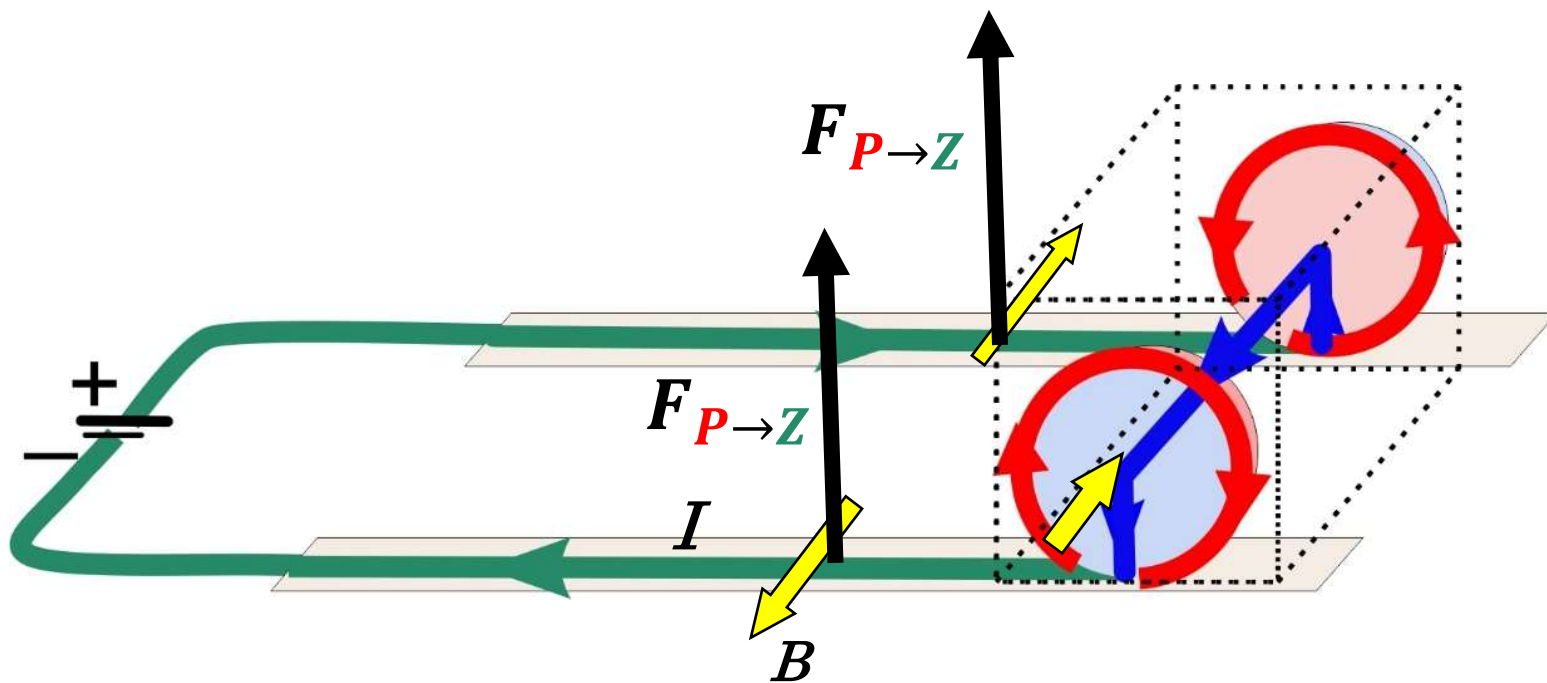
$$F = F_{KZ \rightarrow P} + F_{PZ \rightarrow K}$$

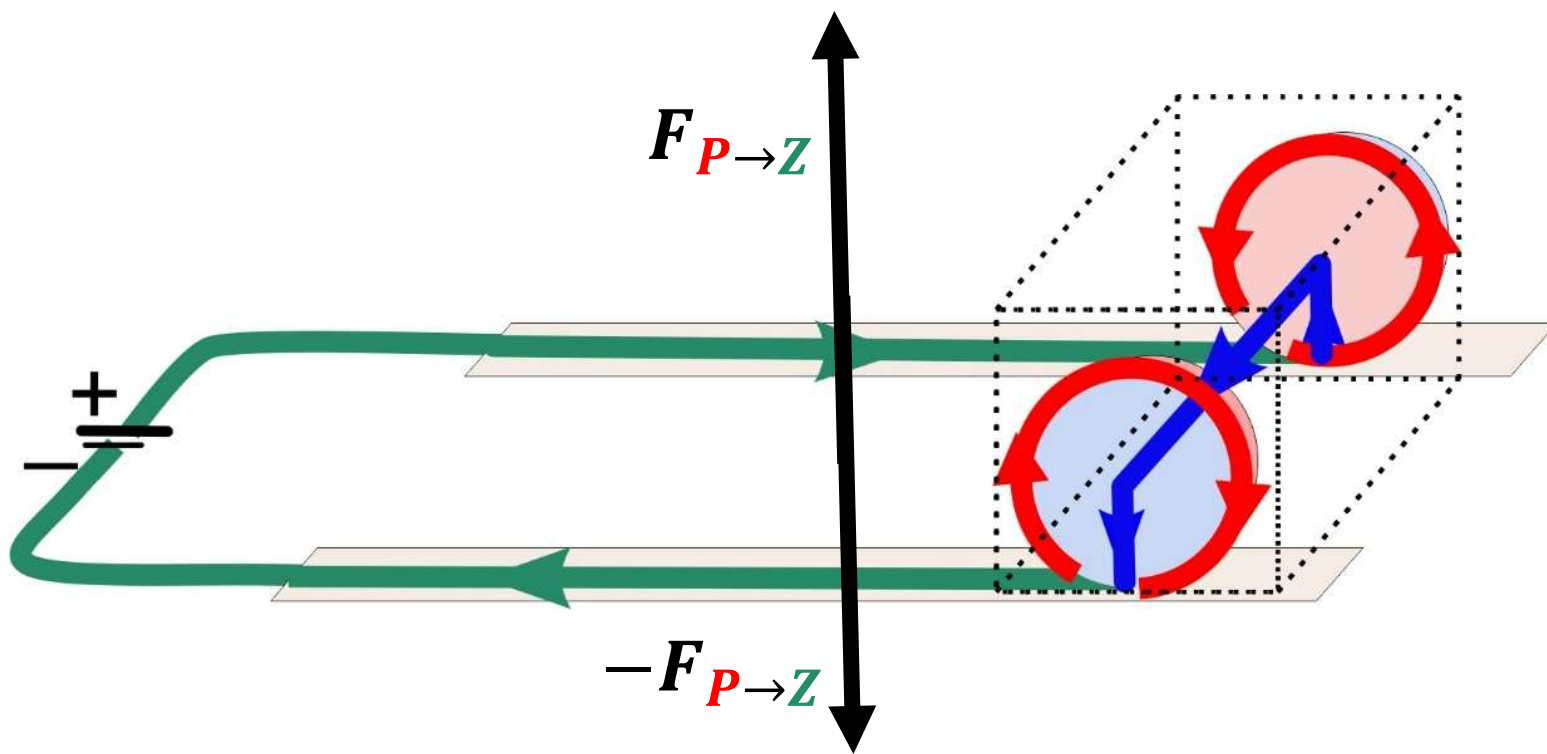
$$F = F_{K \rightarrow P} + F_{Z \rightarrow P} + F_{P \rightarrow K} + F_{Z \rightarrow K}$$

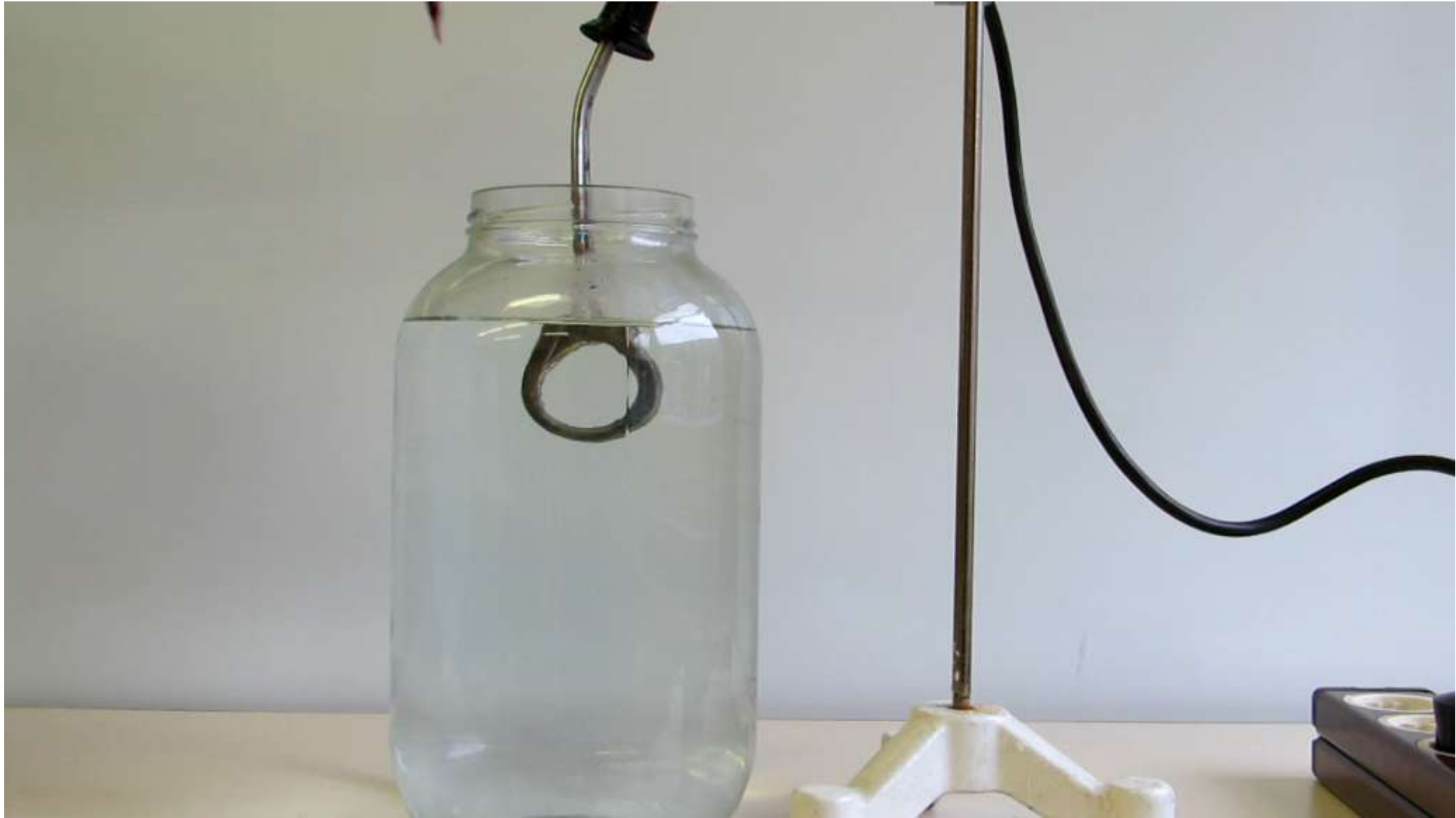
$$F = -F_{P \rightarrow Z} + F_{Z \rightarrow K}$$

$$F = -F_{P \rightarrow Z} + F_{Z \rightarrow K}$$

picike





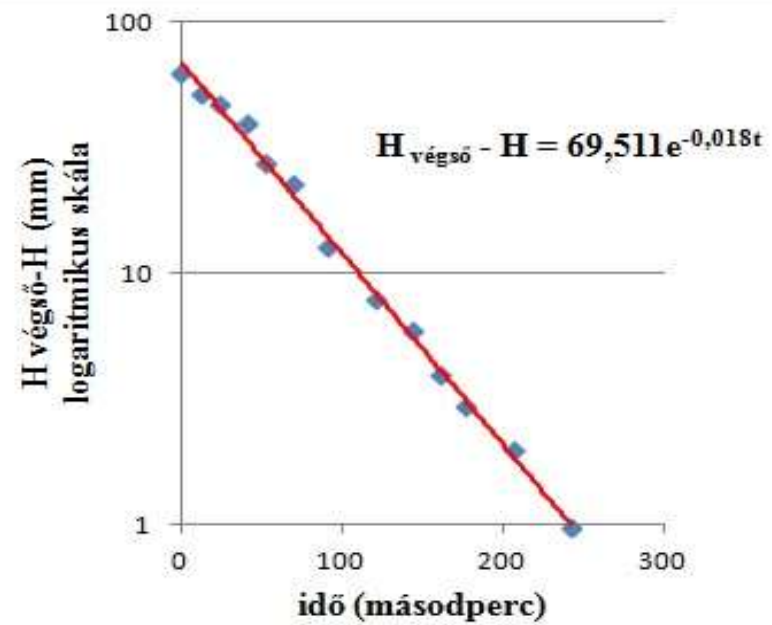
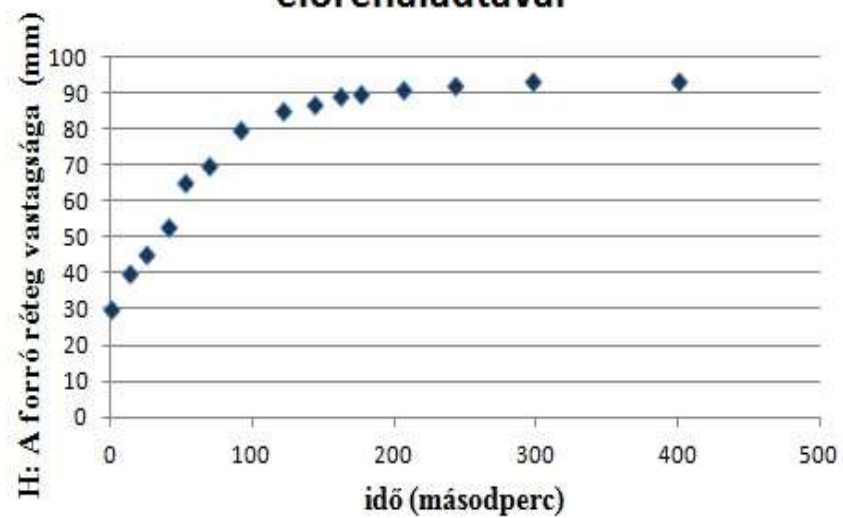


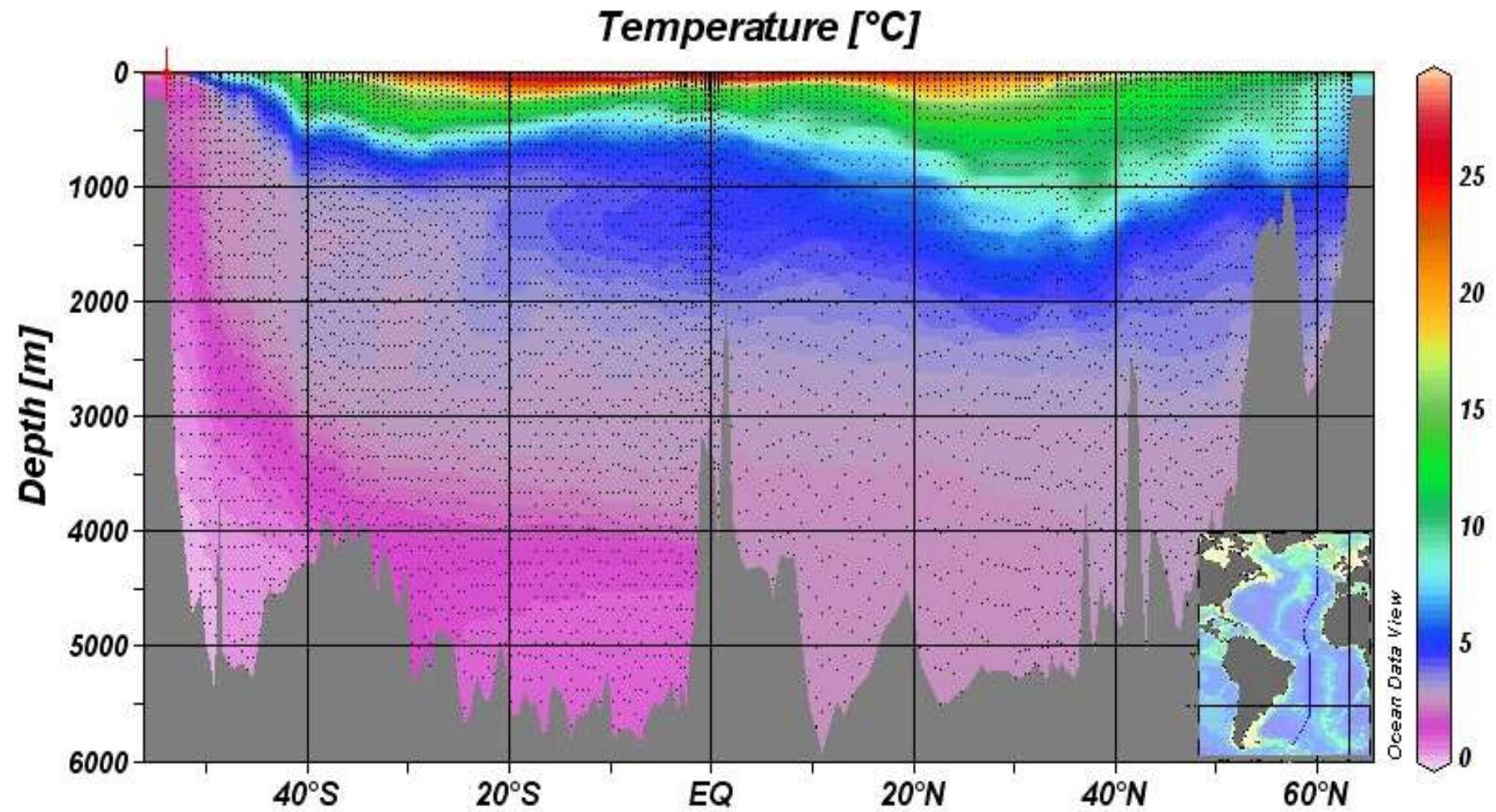
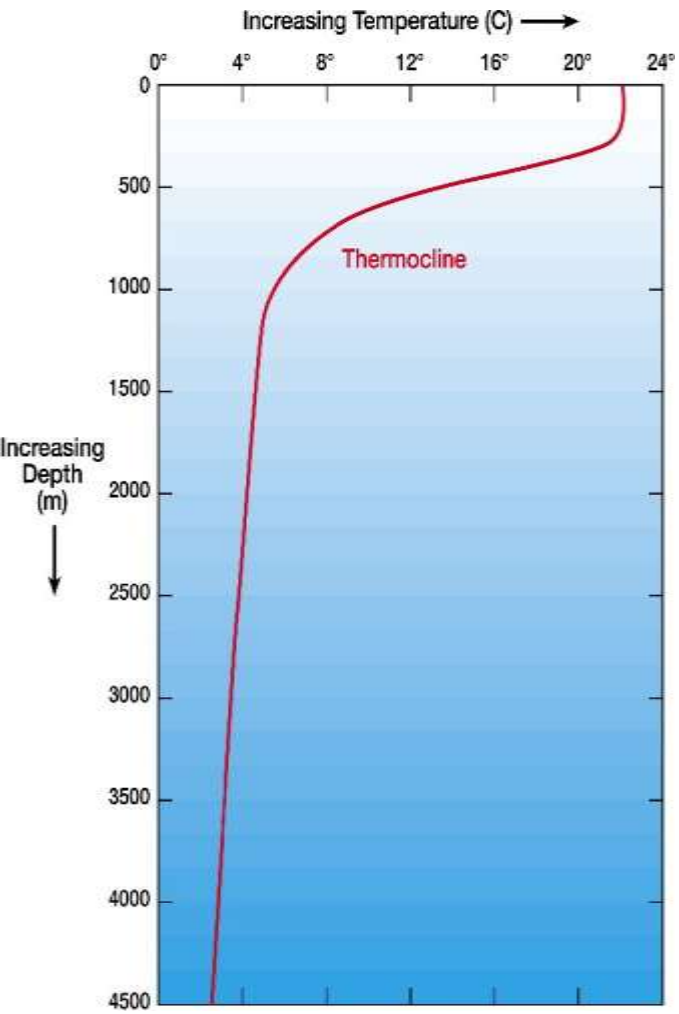
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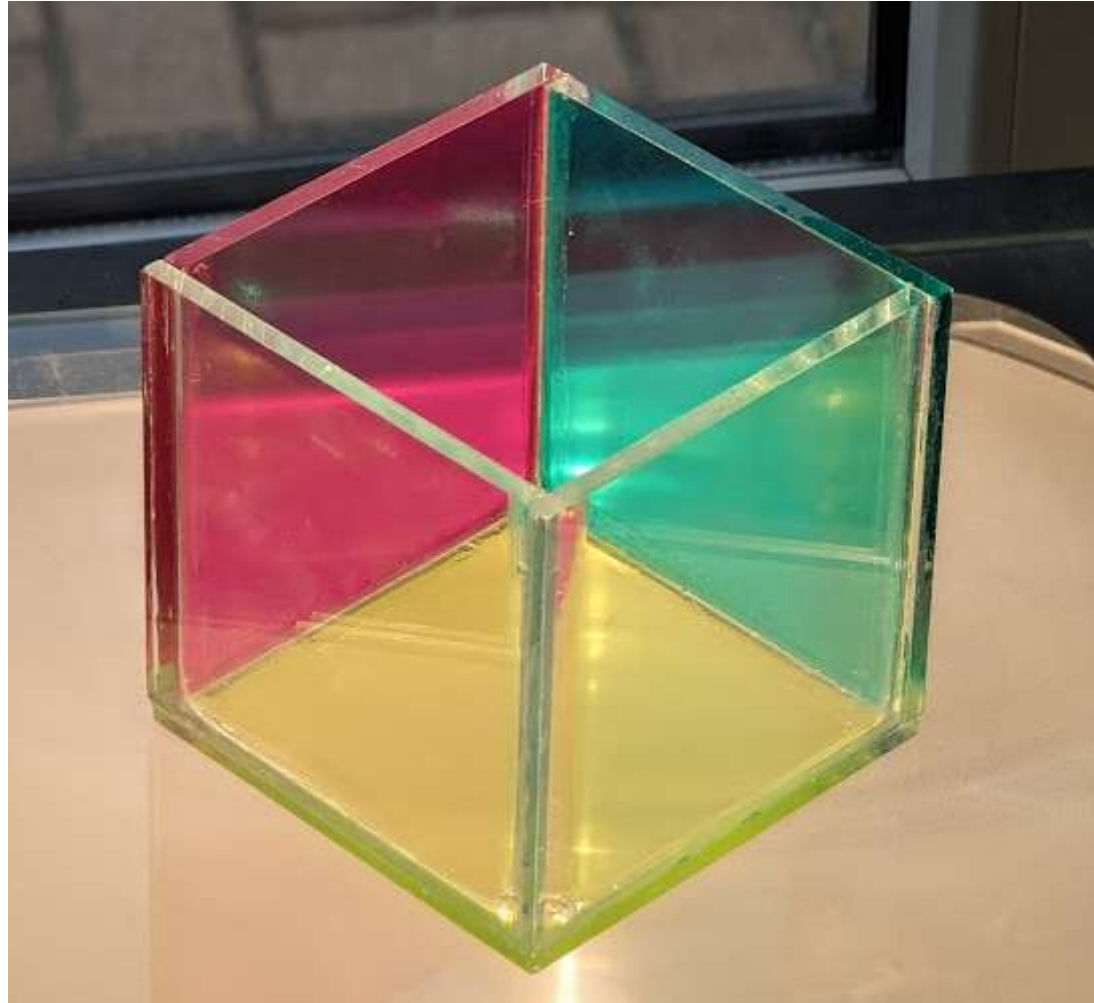


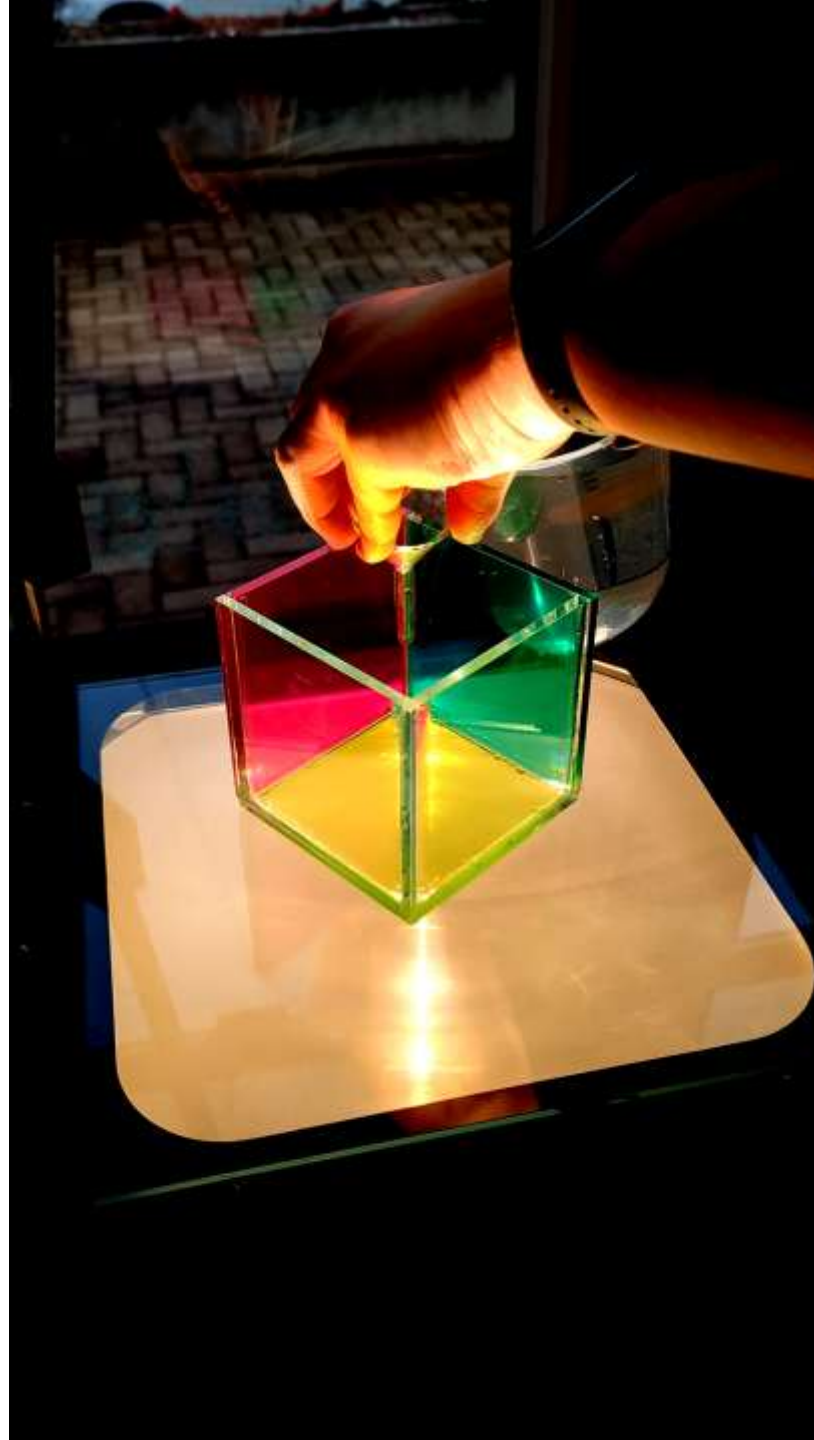
## A határfelület süllyedése az idő előrehaladtával

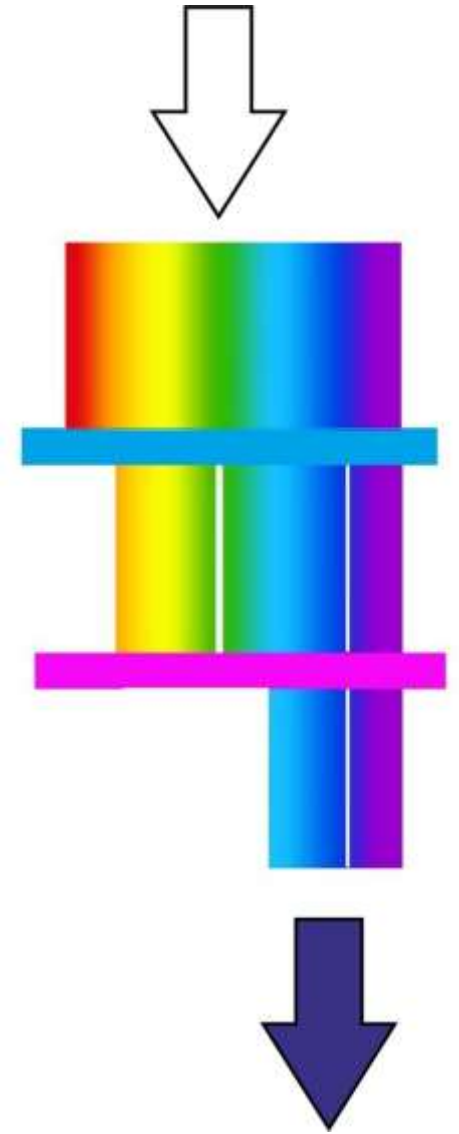
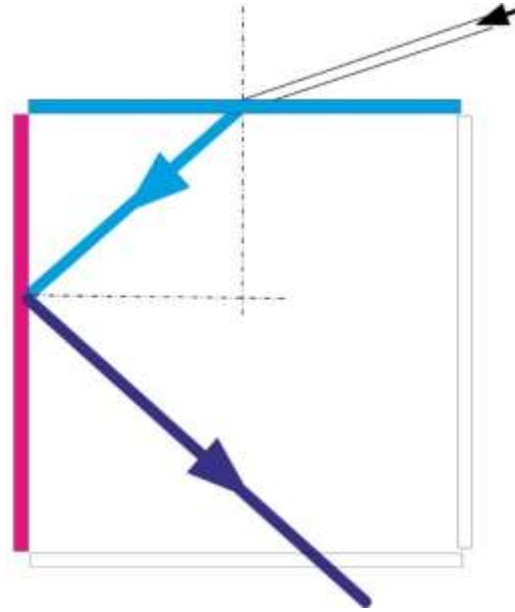
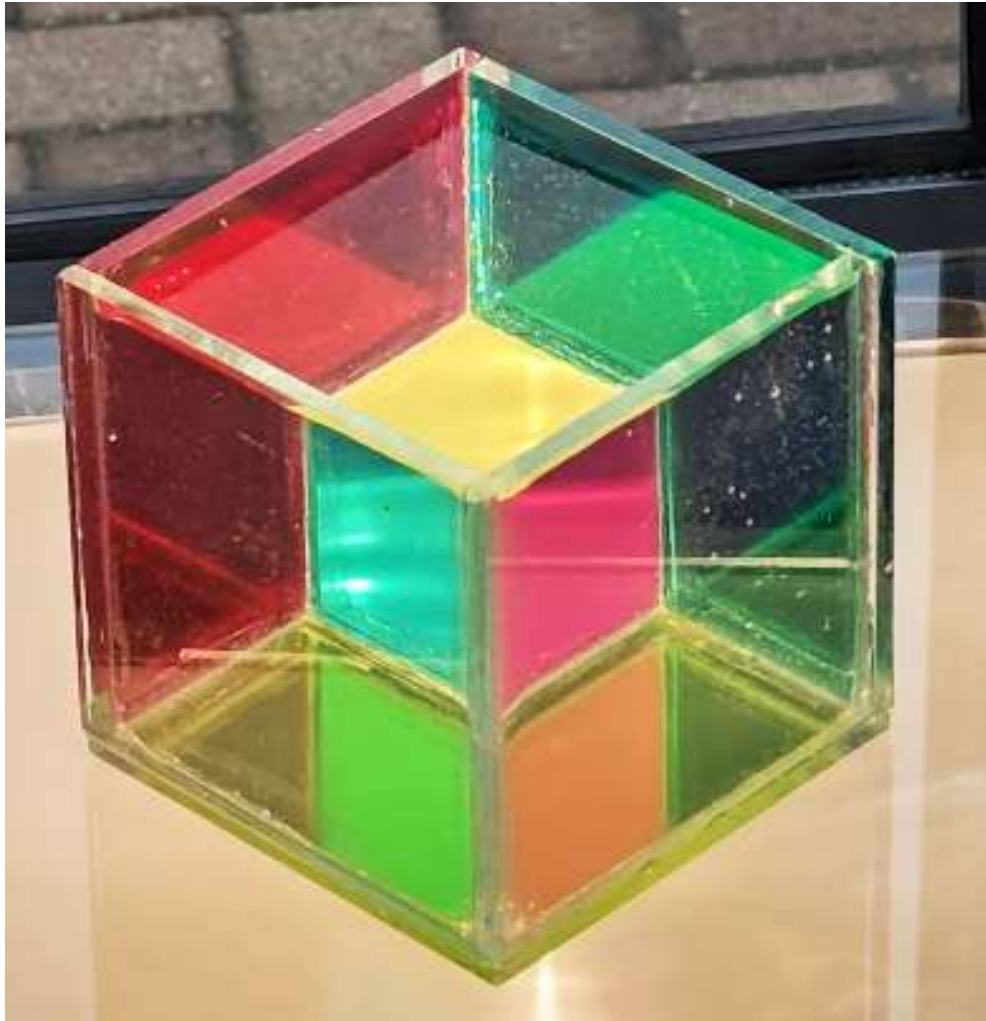


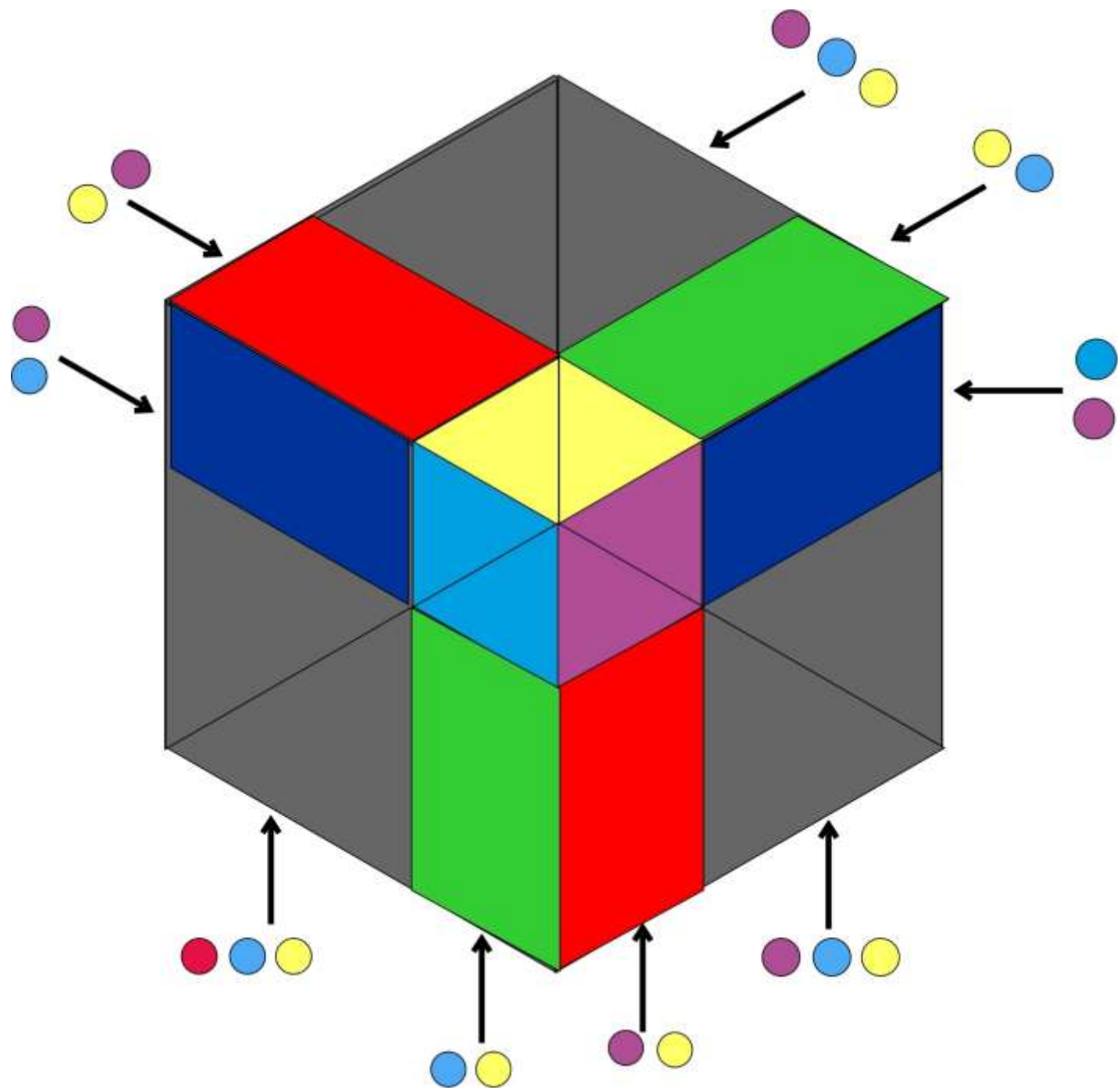


# Színes kocka









**Köszönjük a figyelmet!**